## Discussion of

# A Macroeconomic Model of Central Bank Digital Currency

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# This paper

- ◆ Studies the introduction of a central bank digital currency (CBDC) using a rich New Keynesian DSGE model
- Assesses its welfare impact
  - in economies characterized by different steady-state policy rates
  - under different CBDC remuneration schemes
- Proposes an optimal rule-of-thumb for CBDC remuneration.
- Evaluates how MP transmission is affected by the presence of a CBDC.

## CBDC introduction: in a nutshell

• Introduce CBDC by shifting its remuneration from -100% to  $\approx$  0%.

## ♦ Key trade-off:

- ✔ Benefits: Consumers gain from additional liquidity services and reduced bank deposit market power
- Costs: Banks' intermediation capacity is reduced, possibly affecting lending

## Results

## CBDC reduces deposit market power

■ Banks respond to CBDC competition by narrowing deposit spreads.

## Welfare gains from CBDC introduction

□ Households benefit from improved liquidity and higher deposit returns, especially in low interest rate environments (where a non-remunerated CBDC is most used).

## **3** Optimal CBDC rate rule

□ Rule of thumb  $i_{cbdc} = \max\{0\%, i-1\%\}$  strikes the balance between increased liquidity benefits and moderate bank disintermediation. As i rises,  $i_{cbdc}$  needs to rise to curtail bank market power.

#### Disintermediation risk is small

- US: CBDC reduces bank lending, but welfare gains dominate in US unless CBDC is overly attractive
- ☐ EA: slightly lower welfare gains due to higher disintermediation

## Thoughts on the paper - I

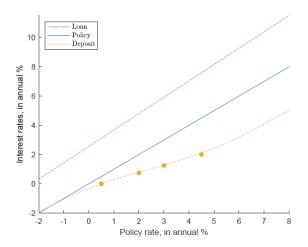
- Nice static framework to build intuition for the main trade-off.
   It transparently shows, with minimal structure
  - $\square$  how changes in the **policy rate** i affect **deposit markdowns**  $i-i^d$  deposit channel of MP (Drechsler, Savov, and Schnabl, 2017)
  - $\Box$  how introducing a CBDC affects  $i^d$  and  $i i^d$
  - lacktriangle how these changes vary according to the *level* of i
- Very rich and realistic NK DSGE setup that includes
  - monopolistic banks that issue deposits/extend loans and are subject to capital requirements.
    - $\mathsf{CBDC} \to \mathsf{profitability} \to \mathsf{equity} \to \mathsf{loan/equity} \to \mathsf{credit} \ \mathsf{markets}$
  - □ sticky prices (Calvo), business cycle fluctuations and MP responses

# Thoughts on the paper - II

- ◆ Credible calibration of many parameters this is a HUGE model.
- ◆ Generates realistic loan/deposit spreads as a function of *i*.

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Substitution patterns between cash, deposits and CBDC

2 Stocks versus flows: CBDC holdings vs. CBDC usage

- ◆ Card, CBDC and deposit shares in the model essentially depend on
  - $lue{}$  returns on cash (0), CBDC ( $i^{CBDC} \simeq 0$ ) and deposits ( $i^D$ )
  - □ parameters of the liquidity aggregator from Balloch and Koby (2023), extended to include CBDC

$$\mathcal{L}_{t} = \left(\gamma_{\textit{m}} \, \textit{m}_{t}^{\frac{\theta+1}{\theta}} + \gamma_{\textit{d}} \, \textit{d}_{t}^{\frac{\theta+1}{\theta}} + \gamma_{\textit{cbdc}} \, \textit{cbdc}_{t}^{\frac{\theta+1}{\theta}}\right)^{\frac{\theta}{\theta+1}},$$

$$\mathcal{L}_t = \left( \gamma_m \, m_t^{rac{ heta+1}{ heta}} + \gamma_d \, d_t^{rac{ heta+1}{ heta}} + \gamma_{cbdc} \, cbdc_t^{rac{ heta+1}{ heta}} 
ight)^{rac{ heta}{ heta+1}}$$

- Degree of substitutability  $\theta$  estimated to be very high ( $\approx$  550) and assumed identical for CBDC-cash and CBDC-deposits.
  - This may or may not be accurate: cash-like vs deposit-like CBDC. (Nocciola and Zamora-Pérez, 2024)

Feature	Cash	Deposits	CBDC
Widespread acceptance	~	X	~
Interest bearing	×	<b>✓</b>	×
Offline usability	~	×	<b>~</b>
Anonymity/privacy	~	×	<b>V</b>
Peer-to-peer transfers	~	×	<b>V</b>
Budgeting	X	×	<b>V</b>
Theft/security protection	X	<b>✓</b>	<b>~</b>

$$\mathcal{L}_{t} = \left(\gamma_{\textit{m}} \, \textit{m}_{t}^{\frac{\theta+1}{\theta}} + \gamma_{\textit{d}} \, \textit{d}_{t}^{\frac{\theta+1}{\theta}} + \gamma_{\textit{cbdc}} \, \textit{cbdc}_{t}^{\frac{\theta+1}{\theta}}\right)^{\frac{\theta}{\theta+1}}$$

- Degree of substitutability  $\theta$  estimated to be very high ( $\approx$  550) and assumed identical for CBDC-cash and CBDC-deposits.
  - Could a nested CES design resembles more closely the actual post-CBDC configuration of liquidity services?

$$\begin{split} & L_t^i = \left[ \gamma_m \cdot m_t^{\frac{\theta_i + 1}{\theta_i}} + \gamma_{cbdc}^i \cdot cbdc_t^{\frac{\theta_i + 1}{\theta_i}} \right]^{\frac{\theta_i}{\theta_i + 1}}, \quad i \in \{\textit{cash}, \textit{dep}\} \\ & \mathcal{L}_t = \left[ \alpha_{\textit{cash}} \cdot \left( L_t^{\textit{cash}} \right)^{\frac{\eta + 1}{\eta}} + \alpha_{\textit{dep}} \cdot \left( L_t^{\textit{dep}} \right)^{\frac{\eta + 1}{\eta}} \right]^{\frac{\eta}{\eta + 1}} \end{split}$$

- ☐ Would alternative substitution patterns affect the results?
- Would a cash-like CBDC generate less disintermediation?

$$\mathcal{L}_{t} = \left( \gamma_{\textit{m}} \, \textit{m}_{t}^{\frac{\theta+1}{ heta}} + \gamma_{\textit{d}} \, \textit{d}_{t}^{\frac{\theta+1}{ heta}} + \gamma_{\textit{cbdc}} \, \textit{cbdc}_{t}^{\frac{\theta+1}{ heta}} 
ight)^{rac{ heta}{ heta+1}}$$

- **2** Calibration of  $\gamma_m, \gamma_d$  and  $\gamma_{cbdc}$  is crucial
  - □ Set  $\gamma_m = \gamma_{cbdc}$  exploiting hypothetical survey questions asked to a sample of German households by Bidder, Jackson, and Rottner (2024). "Please assume that you have a digital euro account that you can use to hold digital euro. You would receive no interest on this digital euro account. How much of the € 1,000 per month would you now deposit into your digital euro account, hold as cash, deposit into your regular current account at your bank, or invest in other financial instruments? "

$$\mathcal{L}_{t} = \left(\gamma_{\textit{m}} \, \textit{m}_{t}^{\frac{\theta+1}{\theta}} + \gamma_{\textit{d}} \, \textit{d}_{t}^{\frac{\theta+1}{\theta}} + \gamma_{\textit{cbdc}} \, \textit{cbdc}_{t}^{\frac{\theta+1}{\theta}}\right)^{\frac{\theta}{\theta+1}}$$

- **2** Calibration of  $\gamma_m, \gamma_d$  and  $\gamma_{cbdc}$  is crucial
  - □  $\gamma_m = \gamma_{cbdc}$  to reflect that in the subsample of potential adopters the cash and D€ share were roughly equal. Does this imply that  $M_t/Y_t = CBDC_t/Y_t$  after the CBDC is introduced?
  - $\blacksquare$  Imperfect adoption (e.g. due to inertia/switching costs) and acceptance of CBDC should be captured by  $\gamma_{CBDC}$
  - ☐ Transitional dynamics related to staggered technology adoption may play a role (Alvarez et al., 2023)
  - $\square$  Can the introduction of a CBDC lower  $\gamma_m$  (merchants stop accepting cash because they prefer CBDC?)?

#### 2. CBDC holdings vs. CBDC usage

- Focus of the model is on CBDC holdings (stocks)
- But CBDC "success" also depends on its usage as a means of payments (flows)
- ◆ A missing ingredient: velocity of money! Not easy to incorporate in a large-scale DSGE model...
- CBDC may have very high velocity!
  - Programmable transfers from deposit account, reverse waterfall functionality
  - Exploit CBDC advantages as a payment method without holding a large stock (to avoid high opportunity costs in the presence of no remuneration)
  - → CBDC could provide substantial liquidity/payment services with even less disintermediation: it depends on its design.

# Taking stock

- ◆ A great paper with a rich and realistic model
- Nice and credible quantitative evaluation of the trade-offs involved in CBDC introduction
- Timely and relevant analysis of the optimal CBDC remuneration
- ◆ Some words of caution: model has to abstract from
  - payment method and cash management decisions
  - impefect acceptance of payment methods
  - ☐ dynamic adoption choices in the presence of network effects
- ◆ All of these features of the problem make the outcome more uncertain and the nuances of CBDC design more relevant

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## References I

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